# A New Hybrid Ant Colony Algorithms for The Traveling Thief Problem

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# ABSTRACT

The Traveling Thief Problem (TTP) is a new problem recently proposed in the literature. The TTP combines two well-known optimization problems: the knapsack problem (KP) and the travelling salesman problem (TSP). In this paper, new hybrid ant colony algorithms are presented. We study and compare different approaches for solving the TTP. The first approach is a centralized and static metaheuristic, the second is a dynamic metaheuristic and the third is a distributed metaheuristic. The obtained results prove that our algorithms are efficient for instances of TTP.

# **CCS CONCEPTS**

• Computing methodologies  $\rightarrow$  Heuristic function construction; • General and reference  $\rightarrow$  Empirical studies.

#### **KEYWORDS**

The Traveling Thief Problem, dynamic metaheuristic, distributed metaheuristic

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# **1** INTRODUCTION

Many practical applications can be formulated as a *combinatorial optimization problem*. A *combinatorial optimization problem* generally consists in traversing a search space in order to extract an optimal solution from among a finite set of solutions while maximizing (or minimizing) an objective function. A *combinatorial optimization problem* is *static* when optimization refers to a process of minimizing (maximizing) the costs (benefits) of certain objective functions for a single instance. Unlike the *dynamic optimization problem* whose optimization refers to this process over a period of time. In both cases, the equality and inequality constraints can be applied. On the other hand, an optimization problem is *distributed* 

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when it is subdivided into smaller sub-problems and which can be simultaneously solved in *parallel*. Indeed, a *parallel* program that resolves the distributed problem can be faster than its sequential equivalent. However, *centralized resolution* is still a complicated process in view of the complexity of the problem and the processing time. In this work, we are interested in studying and comparing those different aspects of optimization problems in order to define adequate algorithms with improved performance for the TTP [1].

# 2 MMACS

MMACS is a *hybrid ant colony optimization algorithm* based on the foraging behavior of ants. MMACS was introduced in [2] and revisited in [3]. This algorithm presents two hybridization levels. The first hybridization consists in integrating the Ant Colony System selection rule in MAX-MIN Ant System [4]. The second level of hybridization is to combine the hybridized ant colony optimization algorithm and an algorithm based on a local search heuristic, then both algorithms are operating sequentially. The pseudo-code of MMACS algorithm is represented by algorithm 1 where  $\tau_{max}$  is the

Algorithm 1 MMACS pseudo	o-code
Initialize pheromone trails	to $\tau_{max}$
repeat	
repeat	
Select randomly a first	item
Remove from candida	tes each item that violates resource
constraints	
<b>while</b> Candidates ≠ ∅	ð do
if a randomly chose	en $q$ is greater than $q_0$ <b>then</b>
Choose item o <sub>j</sub> fr	om Candidates with probability $P_{ii}^k$
else	-5
Choose the best r	iext item
end if	
Remove from candid	lates each item that violates resourc
constraints	
end while	
Update S <sub>best</sub>	
until maximum numbe	r of ants is reached or optimum i
found	-
Update pheromone trails	
until maximum number of	cycles is reached or optimum is foun
Apply a local search algorit	

upper bound of the pheromone trails, q is a random variable uniformly distributed in [0, 1],  $q_0$  ( $0 \le q_0 \le 1$ ),  $P_{ij}^k$  is the probabilistic

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action choice rule and  $S_{best}$  is the best solution found all along the execution. After that, the 2–opt algorithm takes a current solution as input and returns a better accepted solution to the problem, if it exists. The 2–opt algorithm is used once ants have completed their solution construction, thereby improving the solution by approaching the best one or even reaching it. Our proposed 2–opt algorithm can be written as represented by algorithm 2.

Algorithm	2 A	2-opt	pseudo-code
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Initialize Candidates by observing <i>S</i> <sub>best</sub>
repeat
<b>for</b> each item $o_j \in Candidates$ <b>do</b>
<b>for</b> each item $o_i \in S_{best}$ <b>do</b>
$S'_{best} = \text{Swap}(o_i, o_j)$
if constraints are satisfied by $S'_{hest}$ and $S'_{hest}$ is better
than S <sub>best</sub> then
Update the best solution
end if
end for
end for
until no improvement is made

# 3 CMMACS

Our first approach CMMACS to solve TTP is a *static* and a *central-ized* methaheuristic that combines a 2–opt–based neighborhood search and the hybrid ant colony algorithm (MMACS). The algorithm uses the 2–opt search for the TSP part to find the tour and the MMACS methaheuristic to solve the picking plan.

#### 4 OMMACS

Our second approach OMMACS is a *dynamic* variation of CMMACS, which was developed to solve TTP over time. Dynamic processing involves processing the input as a stream of data. Thus, the input is provided piece by piece, without all data being available from the start. The best solution is approached at each step of the time.

#### 5 DMMACS

Our third approach DMMACS is a *distributed* version of CMMACS algorithm. DMMACS solves the TTP complex problem by decomposing it into parts, stores the results of parts and computes the global result by combining sub-solutions.

#### **6** EXPERIMENTS

In this section, we study the results of a set of experiments that was carried out to determine the efficacy of the proposed algorithms: CMMACS, OMMACS and both versions of DMMACS, the *serial* and *parallel* one. In order to evaluate the performance of new algorithms, experiments were conducted on TTP instances. Namely, we used a set of ten *bounded strongly correlated instances* a280 from [5] where the dimension of TSP sub-problem is 280 and the number of items of KP sub-problem is 279.

In order to facilitate the visualization of the algorithms' performance, the obtained results are represented by curves in Fig 1. In fact, the results show that OMMACS has improved the process of obtaining a better and faster solution for the used TTP instances.

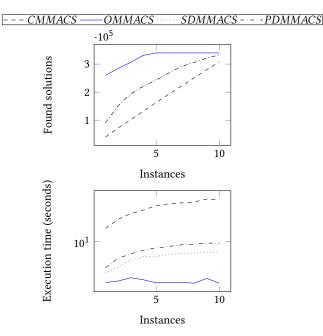


Figure 1: Results of best ten tests.

A possible explanation for the solid performance of OMMACS, mainly regarding the execution time, is that the complexity of building a solution for every step of the time based on a sub local solution should be substantially lower.

#### 7 CONCLUSIONS

The paper presents a comparative study of the proposed hybrid algorithms CMMACS, OMMACS and DMMACS while solving the traveling thief problems. Experiments show that OMMACS turned out to outperform both CMMACS and DMMACS algorithms. It is also noticed from the results that the parallel version of DMMACS takes longer than the serial version. In fact, by using small instances of TTP we are not taking advantage of processing in parallel.

As perspective, it is intended to verify the algorithms' performance while solving large instances in order to measure the performance of multithread architecture.

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